

# Repetition: Physical Deposition Processes

## PVD (Physical Vapour Deposition)

Evaporation

Sputtering

Diode-system

Triode-system

Magnetron-system ("balanced/unbalanced")

Ion beam-system

Ionplating

DC-glow-discharge

RF-glow-discharge

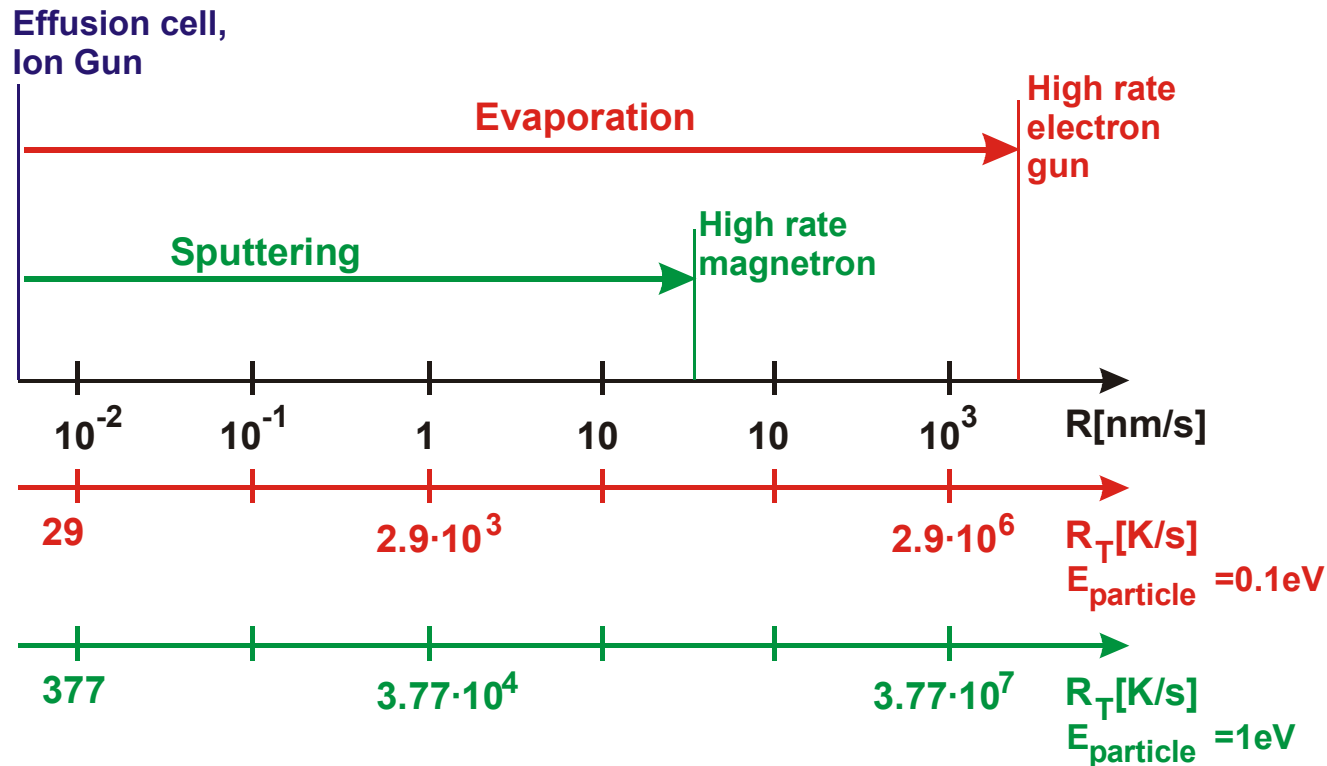
Magnetron- discharge

Arc-discharge

Ion-Cluster-beam

Reactive versions of the above processes

# Repetition: Rates and Cooling Rates PVD



**These extremely high cooling rates show, that PVD processes (apart from being a direct transition from vapor  $\rightarrow$  solid state) always have to be considered as non equilibrium processes.**

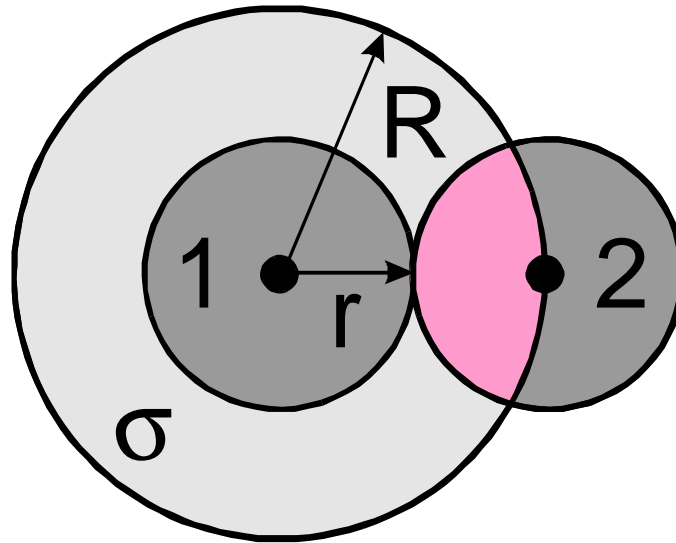
# Vacuum Physics

## Central Termini:

- **Mean free path:** the way a gas particle (or a film particle) can travel without a collision with another particle.
- **Impingement rate:** number of particles which hit a surface per second and unit area at constant pressure.
- **Coverage time:** time needed for the formation of a full monolayer.

# Mean Free Path I

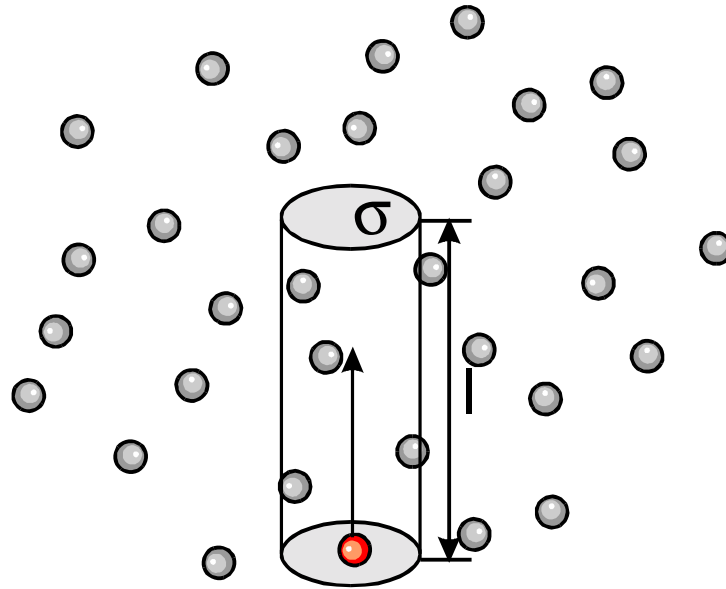
Collision of two particles, 1 and 2 with radius  $r = R/2$ :



If both particles are considered as **points** then a collision happens, if particle 1 is located within a disk of the **area**  $\sigma = \pi \cdot R^2$ .  $\sigma$  is called the **collision cross section**.

# Mean Free Path II

A particle moves straight for a distance  $l$  through a gas. Within a **cylinder of the volume  $V = l \cdot \sigma$**  it will collide with **each particle located in  $V$** .



The cylinder contains  **$N = n \cdot V$**  particles. For straight movement this is the **collision number**.

# Mean Free Path III

One collision happens if  $N = 1$ . This yields the **mean free path  $\lambda$**  as:

$$N \equiv 1 \Rightarrow n \cdot V = n \cdot \lambda \cdot \sigma = 1$$

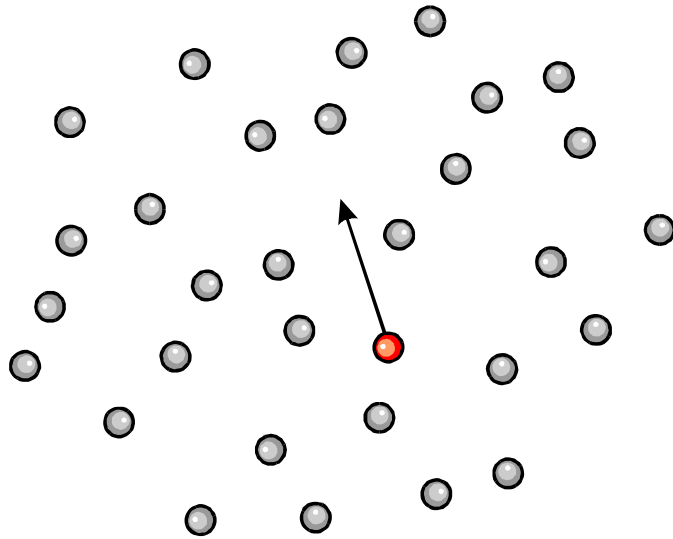
$$\lambda = \frac{1}{n \cdot \sigma} = \frac{1}{\pi \cdot n \cdot R^2} = \frac{1}{4 \cdot \pi \cdot n \cdot r^2}$$

- **Macroscopic information:** Particle density  $n$ , from the ideal gas equation.
- **Microscopic information:** Collision cross section  $\sigma$ , contains energy dependent atom/molecule radii or the general interaction cross sections of the colliding particles.

# Mean Free Path IV

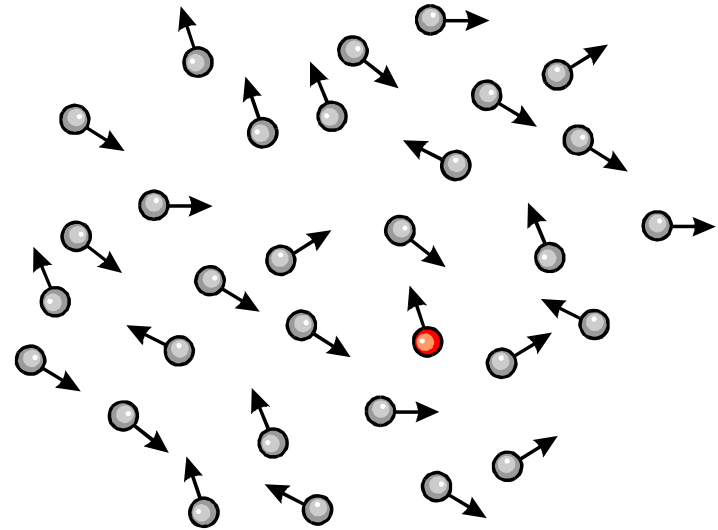
## State of movement of the background gas:

**Energetic  
coating particle: relative  
movement may  
be neglected**



$$\lambda = \frac{1}{4 \cdot \pi \cdot n \cdot r^2}$$

**Gas particle:  
relative movement  
may not be neglected**



$$\lambda = \frac{1}{\sqrt{2} \cdot 4 \cdot \pi \cdot n \cdot r^2}$$

# Mean Free Path - Example

$$\lambda = \frac{1}{4 \cdot \pi \cdot n \cdot r^2} \quad p \cdot V = N \cdot k_B \cdot T \Rightarrow \frac{N}{V} = n = \frac{p}{k_B \cdot T}$$

$$p = 0.1 \text{ Pa}$$

$$k_B = 1,38 \cdot 10^{-23} \text{ J/K}$$

$$T = 300 \text{ K}$$

$$r = 1.5 \cdot 10^{-10} \text{ m}$$

$$\lambda = \frac{k_B \cdot T}{4 \cdot \pi \cdot p \cdot r^2} =$$

$$= \frac{1.38 \cdot 10^{-23} [\text{J / K}] \cdot 300 [\text{K}]}{4 \cdot \pi \cdot 0.1 [\text{J} \cdot \text{m}^{-3}] \cdot 1.5 \cdot 10^{-10} [\text{m}^2]} =$$

$$= 14.6 \text{ cm}$$

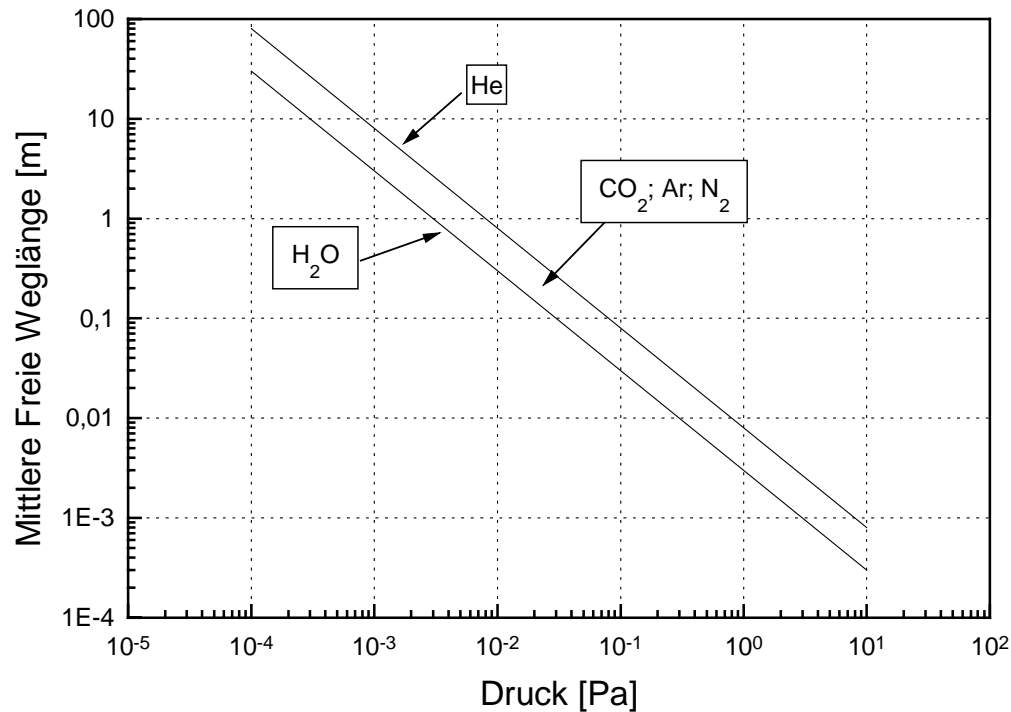


# Mean Free Path - Rough Estimate

$$\lambda p = 5 \text{ mm Pa}$$

$$p = 1 \text{ Pa} \rightarrow \lambda = 5 \text{ mm}$$

$$p = 10^{-4} \text{ Pa} \rightarrow \lambda = 50 \text{ m}$$

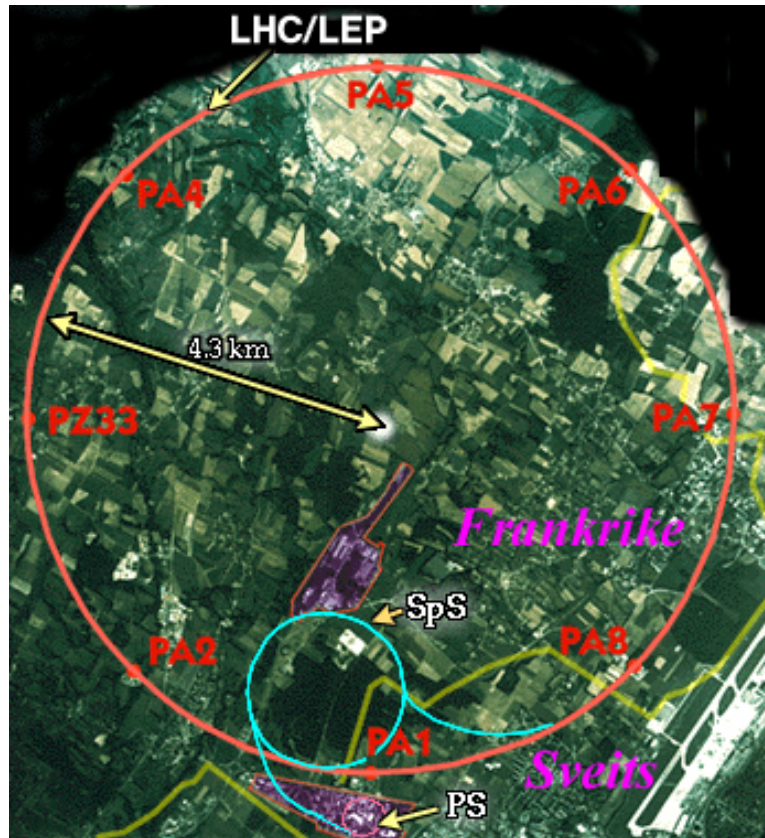


# Mean Free Path: Scale Consideration

CERN – LHC:

$U = 2 \cdot 4.3 \cdot \pi = 27 \text{ km}$

$\lambda_p = 5 \text{ mm Pa}$



$$\lambda[\text{mm}] = \frac{5}{p[\text{Pa}]}$$

$$p[\text{Pa}] = \frac{5}{\lambda[\text{mm}]} = \frac{5}{2.7 \cdot 10^7} =$$
$$= 1.8 \cdot 10^{-7} \text{ Pa} = 1.8 \cdot 10^{-9} \text{ mbar}$$

Within LHC a pressure of approx.  $10^{-9}$  mbar has to be maintained, to exclude interparticle collisions.

# Gas Phase Transport

**Clausius' law of distance:**

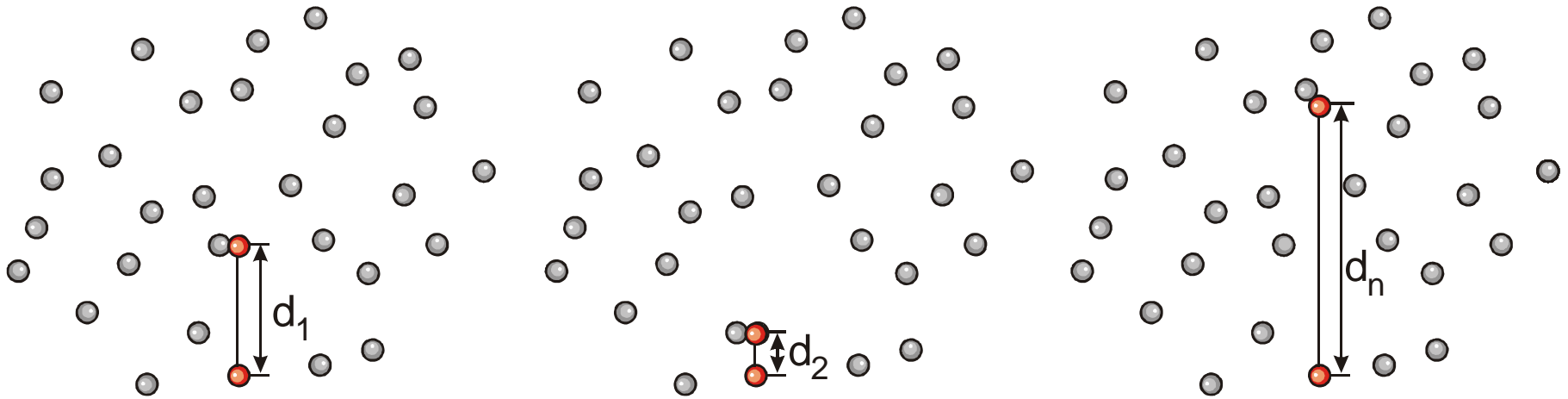
$$N(x) = N(0) \cdot \exp\left[-\frac{x}{\lambda}\right]$$

**This means:**

- **A significant number of collisions happens before the mean free path is reached.**
- **Only approx. 37% of the particles reach  $\lambda$  without a collision.**
- **The mean free path is only a statistical measure.**

# Gas Phase Transport - Statistics

Consider large ensemble of single situations:

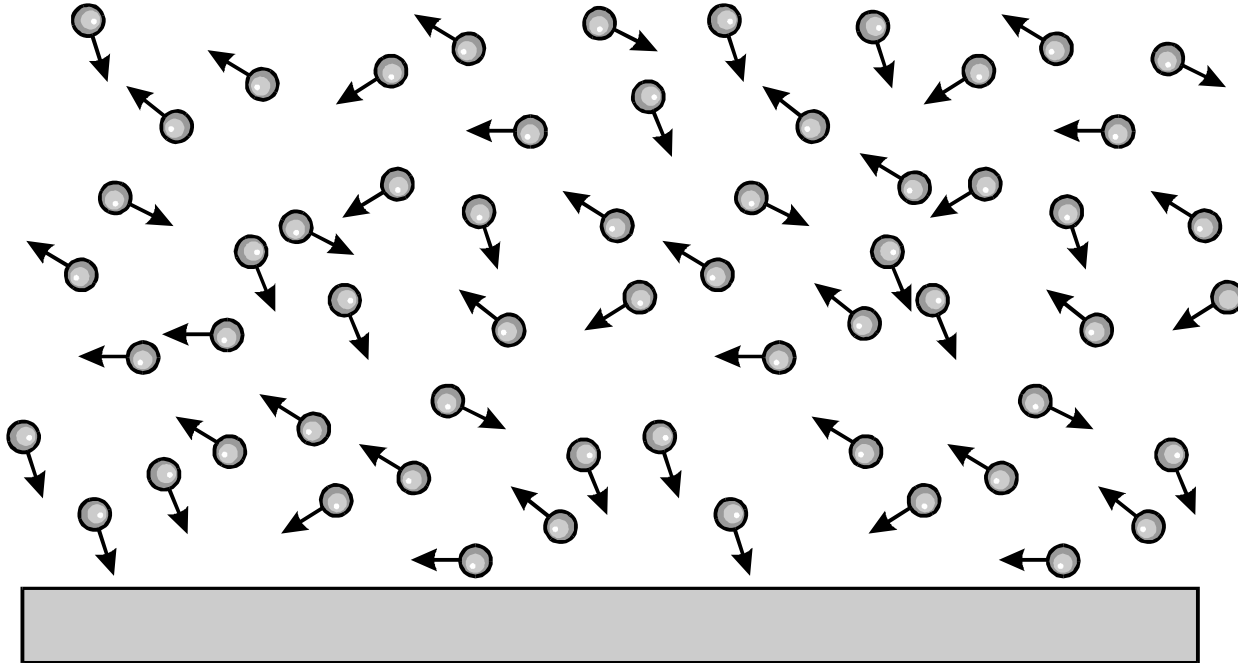


Calculate the expectation value of free throw distances:

$$\langle d \rangle = \frac{\int_0^{\infty} x \cdot \exp\left[-\frac{x}{\lambda}\right]}{\int_0^{\infty} \exp\left[-\frac{x}{\lambda}\right]} = \lambda$$

# Areal Impingement Rate I

**Initial situation:** Gas molecules hit surface

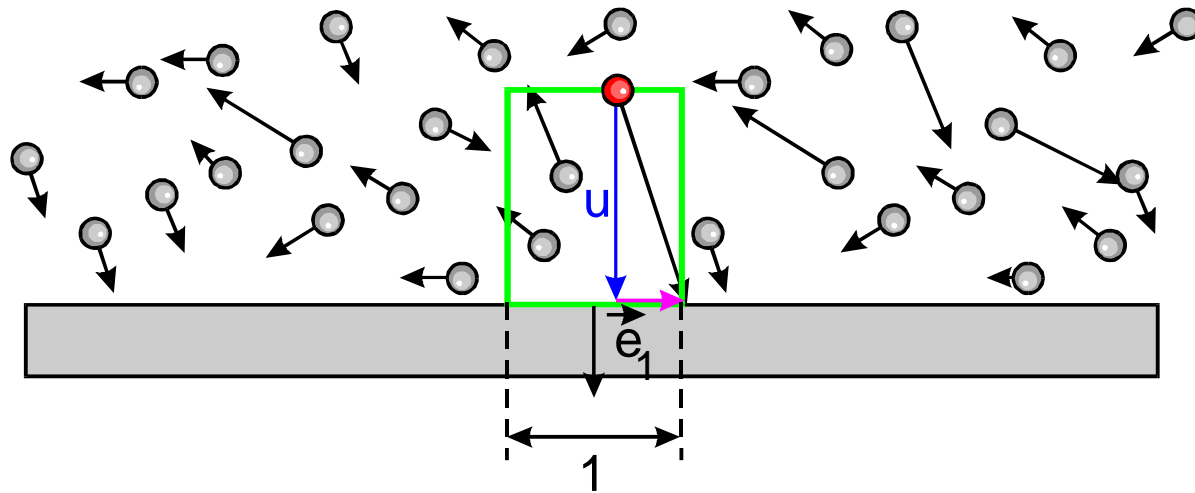


**Wanted:** number of gas molecules, which hit the unit surface within 1 second.

# Areal Impingement Rate II

**Approach:** cylinder with unit top areas, height  $u$ .

Only particles with a **velocity component  $u$**  in the direction of  $\mathbf{e}_1$ , which trespass the top cylinder surface reach the surface within **unit time**.



**Differential areal  
impingement rate:**

$$dz_u = \underbrace{u \cdot 1}_{\text{cylinder-volume}} \cdot \underbrace{n}_{\text{particle-density}} \cdot \Phi(u) \cdot du$$

# Areal Impingement Rate III

**Differential areal  
impingement rate:**

$$dz_u = \underbrace{u \cdot 1}_{\text{cylinder-}} \cdot \underbrace{n}_{\text{particle-}} \cdot \Phi(u) \cdot du$$

volume                      density

**Total areal  
impingement rate:**

$$Z = \int_0^{\infty} dz_u = n \cdot \int_0^{\infty} u \cdot \Phi(u) \cdot du$$

**Maxwell-distribution  
of **one** velocity-  
component:**

$$\Phi(u) = \sqrt{\frac{m}{2 \cdot \pi \cdot m \cdot k_B \cdot T}} \cdot e^{-\frac{m \cdot u^2}{2 \cdot k_B \cdot T}}$$

# Areal impingement rate IV

Calculation of the total areal impingement rate:

$$Z = \int_0^{\infty} dz_u = n \cdot \int_0^{\infty} u \cdot \Phi(u) \cdot du =$$

$$= n \cdot \sqrt{\frac{m}{2 \cdot \pi \cdot k_B \cdot T}} \cdot \underbrace{\int_0^{\infty} u \cdot e^{-\frac{m \cdot u^2}{2 \cdot k_B \cdot T}} du}_{\frac{k_B \cdot T}{m}} = n \cdot \sqrt{\frac{m}{2 \cdot \pi \cdot k_B \cdot T}} \frac{k_B \cdot T}{m} =$$

$$= \left| \frac{N}{V} = n = \frac{p}{k_B \cdot T} \right| = \frac{p}{m} \cdot \sqrt{\frac{m}{2 \cdot \pi \cdot k_B \cdot T}}$$



# Areal Impingement Rate $Z$

$$Z = Z(p, T, m) = \frac{p}{m} \cdot \sqrt{\frac{m}{2 \cdot \pi \cdot k_B \cdot T}}$$

$$m = 5.3 \cdot 10^{-26} \text{ kg (O}_2\text{)}$$

$$k_B = 1,38 \cdot 10^{-23} \text{ J/K}$$

$$T = 300 \text{ K}$$

$$p = 0.1 \text{ Pa}$$

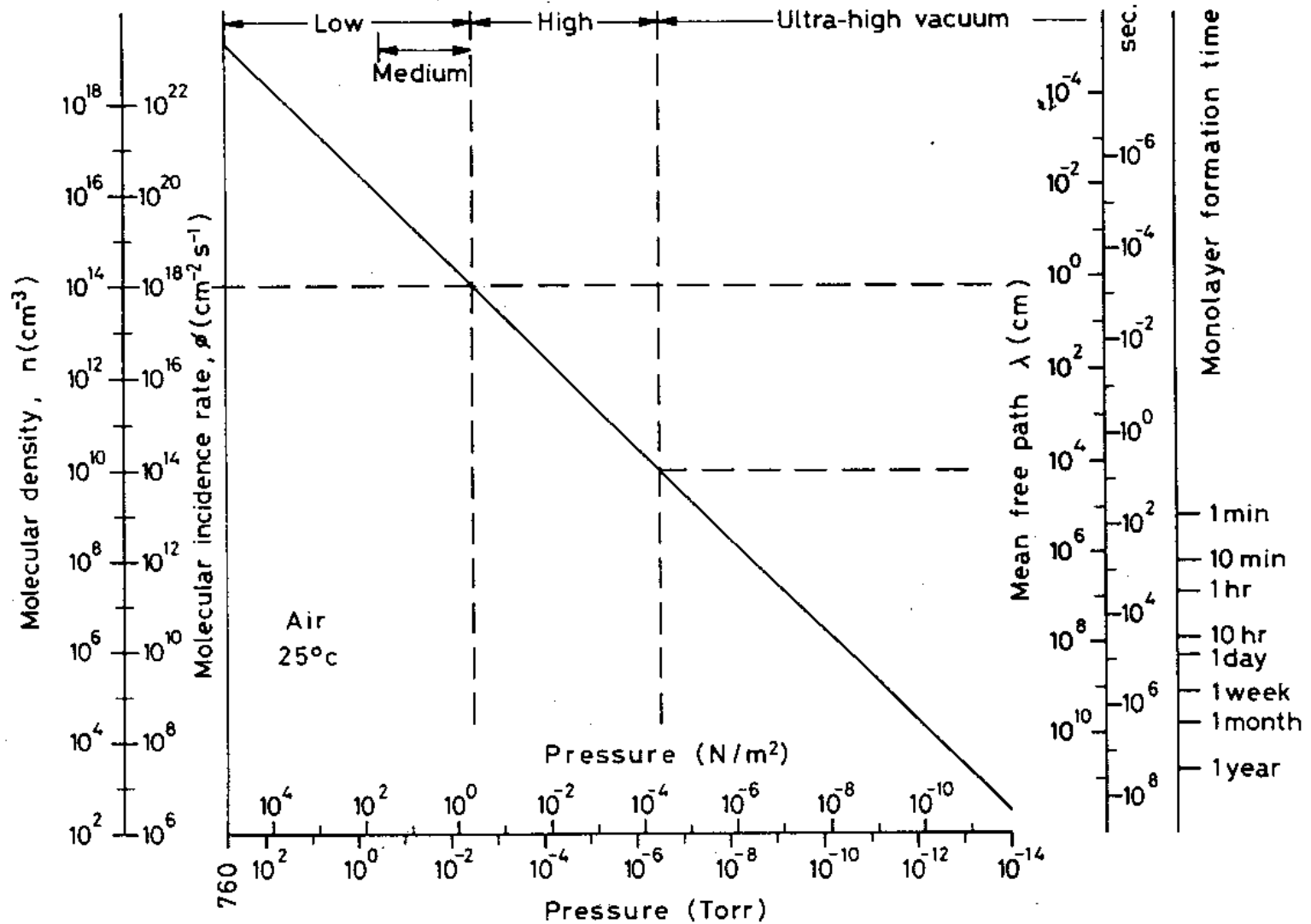
$$p = 10^{-4} \text{ Pa}$$

$$Z = 2.7 \cdot 10^{17} \text{ s}^{-1} \text{ cm}^{-2} \quad Z = 2.7 \cdot 10^{14} \text{ s}^{-1} \text{ cm}^{-2}$$

etwa 270 ML/s

etwa 0.2 ML/s

# Areal Impingement Rate - Graphic



# Types of Vacuum

Name	Pressure [Pa]	Mean free path [mm]	Coverage time O <sub>2</sub> , 300K [ML/s]
Rough vacuum	Atm→1	$5 \cdot 10^{-5} \rightarrow 5$	$2.7 \cdot 10^5 \rightarrow 2700$
Fine vacuum	1 → 0.1	5 → 50	2700 → 270
High vacuum (HV)	0.1 → $10^{-5}$	50 → $5 \cdot 10^5$	270 → 0.027
Ultra high vacuum (UHV)	$10^{-5} \rightarrow 10^{-10}$	$5 \cdot 10^5 \rightarrow 5 \cdot 10^{10}$	0.027 → $2.7 \cdot 10^{-7}$
Extreme UHV (XHV)	$< 10^{-10}$	$5 \cdot 10^{10} \rightarrow$	$2.7 \cdot 10^{-7} \rightarrow$

$5 \cdot 10^5$  mm ≡ 500 m

$5 \cdot 10^{10}$  mm ≡ 50 000 km (!)

# Types of Pumps

## ● Gas transporting:

- + Rotary pump
- + Diffusion pump
- + Turbomolecular pump

Rough vacuum/fine vacuum

High vacuum

High vacuum

## ● Gas adsorbing:

- + Cold traps
- + Cryo pumps
- + Sublimation pumps
- + Getter pumps  
reactive gases

Fine vacuum

High vacuum/UHV

UHV

UHV

- + lone getter pumps

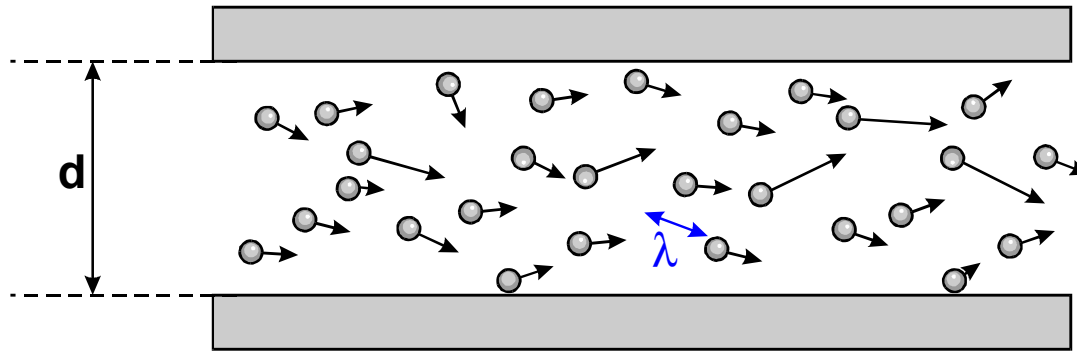
UHV

inert molecules (activation)

# Flow Types

Flow through a pipe, diameter  $d$ :

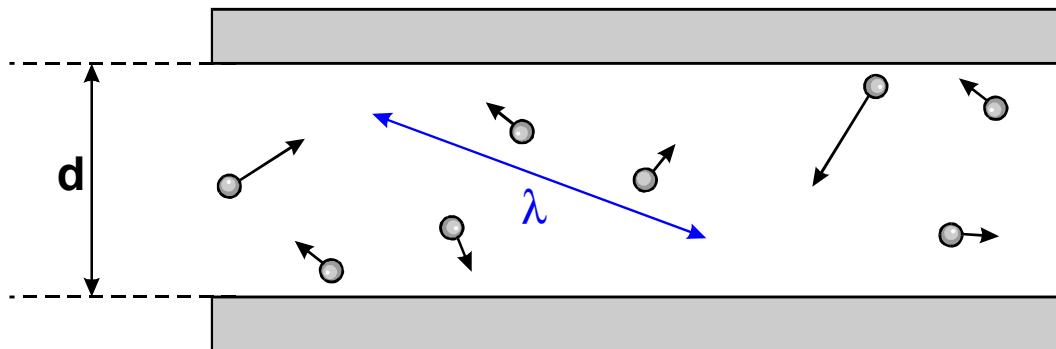
● **Laminar/turbulent:** Rough vacuum/fine vacuum



$$\lambda \ll d$$

Particle collisions  
probable,  
global flow

● **Molecular:** High vacuum, UHV



$$\lambda \gg d$$

Wall collisions  
probable,  
no flow

# Flow Types and Pumping Systems

- Efficient in the **laminar region**:
  - + Gas transporting pumps:
    - Rotary pump
    - Ejector pump
  - + Rotary pumps, except Turbomolecular pumps
  
- Efficient in the **molecular region** :
  - + Gas transporting pumps:
    - Diffusion pump
    - Turbomolecular pump
  - + Gas adsorbing pumps

# Design Criteria for Vacuum Systems

- **Mean free path  $\lambda$ :**

- + Choice of pump type
- + Pump velocity
- + Dimension of pipe diameters

- **Areal impingement rate  $Z$ :**

- + Coverage times (e. g. surface analytics)
- + Impurity content in coatings (ratio of impingement rate of the coating particles and of the background gas particles)

# Impurities

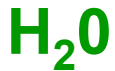
**Sticking  
coefficient  $\alpha$ :**

$$\alpha = 1 - \frac{Z_{\text{Des}}}{Z}$$

$Z$  ... Impingement rate  
 $Z_{\text{Des}}$  ... Desorption rate

- **High sticking coefficient  $\alpha \approx 1$  ( $Z_{\text{Des}} \approx 0$ ):**

**Reactive gases:**



**Complex carbohydrates (pump oil)**

- **Low sticking coefficient  $\alpha \ll 1$  ( $Z_{\text{Des}} \approx Z$ ):**

**Inert gases:**

**Noble gases**



**Carbohydrates without reactive groups**



# Impurities: Example

Coating material:

Al,  $m = 4.5 \cdot 10^{-26}$  kg

Rate Al:

10 nm/s =  $3 \cdot 10^{19}$  At/(m<sup>2</sup>s<sup>-1</sup>)

Impurity:

O<sub>2</sub>,  $m = 5.3 \cdot 10^{-26}$  kg

Sticking coefficient  $\alpha$ :

approx. 1 für Al und O<sub>2</sub>

Temperature:

300K

**Wanted: Background gas pressure, at which 1% Oxygen is incorporated unto the coating**

$$\frac{Z_{\text{O}_2}}{Z_{\text{Al}}} = 10^{-2} = \frac{1}{3 \cdot 10^{19}} \cdot \frac{p}{m_{\text{O}_2}} \cdot \sqrt{\frac{m_{\text{O}_2}}{2 \cdot \pi \cdot k_B \cdot T}}$$

$$p = 10^{-2} \cdot 3 \cdot 10^{19} \cdot m_{\text{O}_2} \cdot \sqrt{\frac{2 \cdot \pi \cdot k_B \cdot T}{m_{\text{O}_2}}} = 1.11 \cdot 10^{-5} \text{ Pa}$$

# Design Criteria: Summary

- **Mean free path  $\lambda$ :**

Influences gas dynamics. Even at rather high pressures ( $10^{-2}$  Pa) the mean free path reaches the dimensions of average deposition chambers .

- **Areal impingement rate Z:**

Crucial for coating purity. The pressure of the background gas has to be at least in the medium high vacuum to guarantee sufficient film purity.